# Layered Multiplane Videos for Novel View Synthesis 

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#### Abstract

The multiplane images (MPI) has shown great promise as a representation for efficient novel view synthesis. In this work, we present a new MPI-based approach for realtime novel view synthesis of monocular videos. We first formulate a new representation, referred to as layered MPI (LMPI), to reduce the number of parameters in MPI and make it suitable for videos. Then we propose a pipeline that generates sequence of temporally consistent LMPI using a single monocular video as input. The pipeline exploits the information from multiple frames, does not require any camera pose information, and can generate compelling layered multiplane video results. Experiments validate that our framework achieves better visual quality than several baselines and is capable of interactive novel view synthesis during video playback.


## 1. Introduction

Novel View Syntesis (NVS) addresses the problem of generating novel views of a scene from a given image(s) or video(s). It provides a compelling way of interacting with images or video recordings and thus has lots of exciting applications in content creation and rendering. Existing works have shown remarkable performance in generating novel views using images from multiple or even single image. However, there are few attempts to generate new views from monocular videos of dynamic scenes.

Existing NVS methods [46, 20] on monocular videos focus on videos that are carefully captured so that: 1. the camera has enough translation, and 2. the dynamic objects do not dominate the field of view. More specifically, their methods rely on structure from motion (SfM) to obtain geometry of the static part of the scene as a prior before inferring the dynamic structure. Therefore, they are not robust to examples where SfM cannot capture the shape accurately. Moreover, they are unable to generate new views in real-time, making it more restricted for some practical use scenarios.

To circumvent this limitation posed by the SfM results,
we propose a different approach that extends the single image method to videos. Particularly, we focus on the MPI representation for its rendering efficiency. However, there are several challenges when trying to apply the single image methods to videos:

Fully Exploit Cross-frame Information: Single frame methods achieve plausible results by exploiting the spatial information inside one frame while the temporal information is ignored. How to aggregate cross-frame information remains an open problem, especially when the SfM fails.

Temporal Consistency: Single frame methods usually suffer from flickering artifacts if applied in a frame-byframe manner. This can potentially be solved using postprocessing methods $[4,16,18]$. In the task of NVS, however, both geometry and texture consistency need to be preserved and the heterogeneous representation makes it challenging to directly apply existing post-processing methods.

Rendering Efficiency: Several methods have achieved interactive NVS for single image [41, 14]. But to the best of our knowledge, there are no attempts for monocular videos.

In this work we attempt to tackle these challenges. We first introduce a novel representation, layered multiplane image, or LMPI for short, that can be rendered in real-time as an MPI but is more compact in terms of parameter size. We then propose a pipeline that utilizes the cross-frame information and generates temporally consistent LMPIs. We consider two properties of videos that can always be exploited: motion boundaries for predicting geometry, and disocclusions for background textures. Moreover, disocclusions are also key to producing temporal consistency in novel views, since the same background will potentially be seen in different timestamps.

The proposed pipeline formulates the motion boundary guidance as the motion field guiding the upsampling process of the LMPI. Disocclusions are aggregated as context for generating the background image in the representation. To summarize, our main contributions include:

- To our knowledge, the first framework that achieves real-time NVS of monocular videos without any camera pose information.
- A new representation that is more compact than MPI and achieves better visual quality.
- A new method to exploit motion boundaries for generating temporally consistent geometry.
- A new algorithm to aggregate background context from multiple frames.


## 2. Related work

Novel View Synthesis Interpolating or extrapolating views given multiple input views is a well-studied problem [ $6,29,11,7,49]$. On the contrary, NVS on a single image is a highly ill-posed problem, since both structure and occluded texture need to be recovered from a single image. Several methods have been proposed to synthesize novel views from a single image [28, 35, 14, 41, 44]. These methods are difficult to generalize to videos due to the aforementioned challenges.

Most NVS methods usually first generate an intermediate representation like layered depth $[34,50]$ and neural radiance field $[27,25,36,3]$. In particular, we focus on works that use multiplane image (MPI) as proxy. MPI has achieved great success in generating photo-realistic images [49, 10, 37, 26, 41] because of its ability on modeling nonLambertian shading and soft edges. Moreover, the rendering process is efficient and differentiable, so the pipeline can be trained end-to-end. Some variants have been explored such as multi sphere image (MSI) [1], layered mesh [5], deep MPI [21] and NeX [45]. Most existing methods generate MPIs from multiple views. We instead focus on a single monocular video input.

Novel view synthesis for dynamic scenes Many works have explored the possibility of generating novel views in dynamic scenes. However most approaches require multiview input in each timestamp [50, 23, 2, 38, 5, 1].

Recent works have taken a step forward for NVS for dynamic scene using monocular video. [46] manually mask out dynamic objects and use SfM to obtain an incomplete structure. This structure is then used for correcting the depth predicted from a single image. [20, 40] try to fit the dynamic scene using a neural radiance field by training a fully connected neural network during test time. However, these methods require camera poses and fail to produce any results when SfM does not work well, e.g. a scene with homogeneous textures, where the camera-motion is negligible, or when dynamic objects occupy too much image space. To best of our knowledge, there are no methods that focus on NVS in dynamic scenes without poses as additional input.

Structure from monocular video We also review methods that only predict depth from videos in a dynamic scene. [31] use motion segmentation and occluder-occludee relationships to infer relative depth. [19] compute an incom-
plete depth map using Plane-Plus-Parallax representation and use it as a prior to generate a complete one. [22] use probability volumes among different frames to refine the depth from a single view. Recent attempts achieve globally consistent results by applying test-time learning [24, 15]. These methods again need camera poses and thus are not applicable in our task.

## 3. Approach

### 3.1. System Overview

Given an input image sequence $\mathbb{V}=\left\{\mathbf{I}_{t} \mid t=0,1, \ldots\right\}$, our pipeline operates on a local time window $\left\{\mathbf{I}_{k} \in \mathcal{N}(t)\right\}$ and predicts a LMPI $\mathbf{R}_{t}$ for each frame. $\mathbf{R}_{t}$ consists of three components $\left\{\mathbf{P}_{t}, \mathbf{I}_{t}, \mathbf{B}_{t}\right\}$, where $\mathbf{P}_{t}$ is the geometry representation, namely parameter map, that defines a density function over the depth for each pixel; and $\mathbf{B}_{t}$ is the predicted background image. While rendering the novel view, we first convert $\mathbf{R}_{t}$ to MPI representation and then follow the standard MPI rendering pipeline [49].

Our pipeline can be partitioned into two modules. The first module estimates the parameter map $\mathbf{P}_{t}$ and the other predicts the background image $\mathbf{B}_{t}$. We elaborate our new representation $\mathbf{R}_{t}$ in Section 3.2 and the above two modules in Section 3.3 and 3.4. Then we describe the data for training in Section 3.5 and finally the losses in Section 3.6.

### 3.2. Layered Representation of Multiplane Image

The MPI represents the scene geometry using $D$ frontoparallel alpha planes in the frustum of a reference camera [49] with each plane arranged at fixed depths. Typically $D$ varies from dozens to hundreds, which can easily become a bottleneck when processing videos. Another prevalent representation for NVS is layered depth image (LDI), which models the geometry as only two or more layers of depth map. However, the LDI cannot model soft edges and is inefficient to render for videos. We take the advantages of both representations by parameterizing the $D$ alpha planes to layers and converting back to MPI during rendering. Thus we call our representation layered MPI.

As illustrated in Figure 2, for each pixel, the LDI models the density over disparity $x$ (inverse depth) as several pulse functions, while MPI fits the geometry by a discrete density function. In contrast, our parameter map $\mathbf{P}_{t}$ defines a continuous density function using two sets of parameters $\left\{d_{f g}, t_{f g}\right\}^{1}$ and $\left\{d_{b g}, t_{b g}\right\}$ that represent the foreground and background layers, respectively. Formally:

$$
\begin{equation*}
\sigma(x)=\sigma_{0} \sum_{n=\{f g, b g\}} \mathbf{1}\left(d_{n}-t_{n}<x<d_{n}\right), \tag{1}
\end{equation*}
$$

[^0]

Figure 1: The proposed framework. For each frame $\mathbf{I}_{t}$ we operate on a local time window $\mathcal{N}(t)$ and generate LMPI $\mathbf{R}_{t}$ for rendering. The pipeline consists of two modules that generate parameter map $\mathbf{P}_{t}$ and background image $\mathbf{B}_{t}$ respectively. Parameter map estimation module (green) first predicts a coarse parameter map $\mathbf{P}_{t} \downarrow$ and an upsampling weight $\mathbf{W}_{t} . \mathbf{P}_{t} \downarrow$ is then upsampled to get final $\mathbf{P}_{t}$. Background estimation module (red) first use Algorithm 1 to aggregate context image $\mathbf{I}_{c t x}$ and context mask $\mathbf{M}_{c t x}$ from neighbor frames, then use U-Net to generate the final background image $\mathbf{B}_{t}$


Figure 2: An illustration of defined density function $\sigma(x)$ in LDI, LMPI and MPI representation.
where $\mathbf{1}(\cdot)$ is an indicator function and $\sigma_{0}$ is a constant. By defining $\sigma(x)$, we assume that each layer is positioned at disparity $d_{n}$ and has thickness $t_{n}$. We also assume each layer has constant density $\sigma_{0}$. In early experiments we found that optimizing over $\sigma_{0}$ leads to a half-transparent object even for solid materials, causing blur artifacts. We can additionally predict more than two layers, but we find that not necessary in practice since two layers are already expressive enough to fit in most structures that are inferred from single views.

During rendering, we first convert $\mathbf{P}$ to multi-plane alpha $\alpha_{i}$ following classical volume rendering [12]:

$$
\begin{equation*}
\alpha_{i}=1-\exp \left(-\int_{x_{i}}^{x_{i+1}} \sigma(x) d x\right) \tag{2}
\end{equation*}
$$

where $i$ indicates the plane index and $x_{i}$ the disparity of $i$-th plane. The color of each plane $c_{i}$ is a linear combination of
$\mathbf{I}$ and $\mathbf{B}$ :

$$
\begin{equation*}
c_{i}=w_{i} c_{f g}+\left(1-w_{i}\right) c_{b g} \tag{3}
\end{equation*}
$$

where $c_{f g}$ and $c_{b g}$ are the RGB values from $\mathbf{I}$ and $\mathbf{B}$, respectively, and the blending weight $w_{i}$ is determined by:

$$
\begin{gather*}
w_{i}= \begin{cases}1 & x_{i}>\left(d_{f g}+d_{b g}\right) / 2 \\
1-\alpha_{f g} & \text { otherwise, and }\end{cases}  \tag{4}\\
\alpha_{f g}=1-\exp \left(-\sigma_{0} t_{f g}\right) \tag{5}
\end{gather*}
$$

where $\alpha_{f g}$ is the transparency of the foreground layer. The blending weight is inspired by the observation that invisible regions should use the background image [41]. We also synthesize a pseudo disparity map for depth supervision by:

$$
\begin{equation*}
\hat{d}=\alpha_{f g} d_{f g}+\left(1-\alpha_{f g}\right) d_{b g} \tag{6}
\end{equation*}
$$

After converting to the MPI representation, new views can be synthesized using the standard MPI rendering pipeline.

### 3.3. Flow Guided Parameter Map Estimation

We propose to predict the geometry representation $\mathbf{P}$ with the pipeline shown in the green box in Figure 1. As is discussed in the introduction, motion boundaries provide guidance for predicting depth and we formulate the guidance as the flow field guiding the up-sampling process of a
coarse parameter map. The pipeline predicts a coarse parameter map $\mathbf{P}_{\downarrow}$ and an up-sampling weight $\mathbf{W}$ at $1 / 8$ resolution by fusing the image feature and the flow feature predicted by RAFT [39]. W is supervised by the up-sampling weight $\mathbf{W}_{\text {raft }}$ that is used for upsampling the flow field, so the edges of the parameter map are encouraged to align with the flow edges.

One potential problem of fusing the flow features is that for static scenes, where the flow features implicitly encode epipolar geometry, the network may learn to infer structure from the flow even if we do not input any camera pose. This should not happen for a dynamic scene since the epipolar constraint no longer holds. So we remove the flow feature to break the flow-depth relationship when we are training the dataset with static scenes. In the inference stage, we apply occlusion-aware temporal filtering at coarse parameter map:

$$
\begin{equation*}
\mathbf{P}_{t \downarrow}^{\prime}=\sum_{k \in \mathcal{N}(t)} \overline{\mathbf{O}}_{t \rightarrow k \downarrow} * \mathcal{W}\left(\mathbf{F}_{t \rightarrow k \downarrow}, \mathbf{P}_{k \downarrow}\right), \tag{7}
\end{equation*}
$$

where $\mathbf{F}_{t \rightarrow k \downarrow}$ is the optical flow from frame $t$ to $k$ at $1 / 8$ resolution predicted also by RAFT, $\mathcal{W}(\mathbf{F}, \mathbf{C})$ is the backward warping function that bilinearly samples the content $\mathbf{C}$ with flow $\mathbf{F}$, and $\overline{\mathbf{O}}_{t \rightarrow k \downarrow}$ is a normalized soft occlusion mask:

$$
\begin{equation*}
\overline{\mathbf{O}}_{t \rightarrow k \downarrow}=g_{k} \mathbf{O}_{t \rightarrow k \downarrow} / \sum_{i \in \mathcal{N}(t)} g_{i} \mathbf{O}_{t \rightarrow i \downarrow}, \tag{8}
\end{equation*}
$$

where $\cdot /$ is the pixel-wise division, $g_{i}$ is the Gaussian kernel and $\mathbf{O}_{t \rightarrow k \downarrow}$ is a soft occlusion mask:

$$
\begin{equation*}
\mathbf{O}_{t \rightarrow k \downarrow}=\exp \left(-\alpha_{0}\left|\mathbf{F}_{t \rightarrow k \downarrow}+\mathcal{W}\left(\mathbf{F}_{t \rightarrow k \downarrow}, \mathbf{F}_{k \rightarrow t \downarrow}\right)\right|_{1}\right) . \tag{9}
\end{equation*}
$$

$|\cdot|_{1}$ is the pixel-wise $L^{1}$ norm and $\alpha_{0}$ is a constant which we set to 0.2 . The fine parameter map $\mathbf{P}$ is then generated by up-sampling $\mathbf{P}_{t \downarrow}^{\prime}$ using $\mathbf{W}$. The up-sampling follows the same process as [39].

### 3.4. Background Image estimation

Next, we describe the pipeline to generate the background image (refer to orange box in Figure 1). We first aggregate context information from neighboring frames. Specifically, for each frame $\mathbf{I}_{t}$ and its temporal neighbor $\mathbf{I}_{k}$, we try to grab all the disoccluded pixels from $\mathbf{I}_{k}$ and align in $\mathbf{I}_{t}$. This is challenging because the disoccluded pixels in $\mathbf{I}_{t}$ are covered by foreground and optical flow is valid only in the visible region. One solution is to forward warp (splat) the disoccluded pixels using $\mathbf{F}_{k \rightarrow t}$, but splatting generally suffers from holes and blurriness. Therefore, we propose an algorithm to generate the background flow $\mathbf{F}_{b g}$ so that all contexts can be aligned using backward warp. As illustrated in Algorithm 1, we generate an initial background flow by splatting the $-\mathbf{F}_{k \rightarrow t}$ using $\mathbf{F}_{k \rightarrow t}$ itself. The splatted flow is

```
Algorithm 1: Generate context image and mask of
\(\mathbf{I}_{\mathbf{k}}\) with respect to time \(t\)
    Input: frame \(k: \mathbf{I}_{k}\), bidirectional flow between
            frame \(t\) and \(k: \mathbf{F}_{t \rightarrow k}, \mathbf{F}_{k \rightarrow t}\)
    Result: \(\mathbf{I}_{c t x_{k}}, \mathbf{M}_{c t x_{k}}\)
    Note that One is a map filled with 1.
    Occ \(_{k} \leftarrow 1-\mathcal{S}\left(\mathbf{F}_{t \rightarrow k}\right.\), One, One);
    \(\mathbf{F}_{b g}^{0} \leftarrow \mathcal{S}\left(\mathbf{F}_{k \rightarrow t},-\mathbf{F}_{k \rightarrow t}\right.\), Occ \(\left._{k}\right) ;\)
    for \(i \leftarrow 0\) to 2 do
        \(\mathbf{F}_{b g}^{i+1} \leftarrow \mathcal{W}\left(\mathbf{F}_{b g}^{i}, \mathbf{F}_{k \rightarrow t}\right) ;\)
    end
    \(\mathbf{M}_{c t x_{k}} \leftarrow \mathcal{S}\left(\mathbf{F}_{k \rightarrow t}\right.\), Occ \(_{k}\), Occ \(\left._{k}\right) ;\)
    \(\mathbf{I}_{c t x_{k}} \leftarrow \mathcal{W}\left(\mathbf{F}_{b g}^{3}, \mathbf{I}_{k}\right) ;\)
    \(\operatorname{def} \mathcal{S}(\mathbf{F}, \mathbf{C}, \mathbf{W})\) :
        \(\mathbf{C}^{\prime} \leftarrow \mathbf{0}\);
        forward splat content \(\mathbf{C}\) and weight \(\mathbf{W}\) using
        flow \(\mathbf{F}\) to 4 nearest neighbors onto \(\mathbf{C}^{\prime}\). For
        each position in \(\mathbf{C}^{\prime}\) we cache list of splatted
        content \(\mathbb{C}=\left\{c_{i} \mid i \in[1, k]\right\}\) and weight
        \(\mathbb{W}=\left\{w_{i} \mid i \in[1, k]\right\}\), as well as the bilinear
        splatting weight \(\mathbb{M}=\left\{m_{i} \mid i \in[1, k]\right\}\);
        for each pixel \(c^{\prime}\) in \(C^{\prime}\) do
            \(c^{\prime}=\sum_{i=1}^{k} \frac{c_{i} w_{i} m_{i}}{w_{i} m_{i}}\)
        end
        return \(\mathbf{C}^{\prime}\)
    end
```

weighted by occlusion mask in $\mathbf{I}_{k}$ so the background flow will not be fused by the foreground flow. To eliminate small errors we iteratively search the $\mathbf{F}_{b g}$ to meet the bidirectional consistency with $\mathbf{F}_{k \rightarrow t}$.

For each frame $t$, Algorithm 1 is applied to several neighbors to obtain a collection of context images and masks $\left\{\mathbf{I}_{c t x k}, \mathbf{M}_{c t x k} \mid k \in \mathcal{N}(t)\right\}$. We aggregate them to a unified context image by iteratively overwriting the pixels in $\mathbf{I}_{t}$ with $\mathbf{I}_{c t x k}$ in the pixel positions where $\mathbf{M}_{c t x k}$ is larger than a threshold $\epsilon=0.5$. The order is not of concern because usually the context masks have few overlaps. $\mathbf{M}_{c t x}$ is obtained in a similar manner. The context image and mask are concatenated together with the current image $\mathbf{I}$ and parameter map $\mathbf{P}$ to predict the final background image $\mathbf{B}$. The network learns to inpaint the remaining occluded region where there is no context from neighbor frames.

### 3.5. Data

Acquiring proper data for training this pipeline is challenging, requiring videos with ground truth geometry as well as ground truth novel views for every timestamp. Next, we describe the two types of sources that we used.

Cameras exploring static scene: Since the scene is static, every timestamp is a ground truth novel view for the current
frame. Considering the diversity of data, we use a combination of RealEstate10K (RE10K) [49] and MannequinChallenge (MC) [19] for training. We reconstruct a sparse point cloud model for each scene using COLMAP $[32,33]$ and apply a customized pipeline to filter out bad data.

Stereo Cameras exploring dynamic scene: One source that perfectly suits our need is stereo video, since it provides semi-dense disparity maps as well as ground-truth novel views. We use WSVD [43] for training and StereoBlur (SB) [48] for evaluation. We also re-process the raw data of WSVD using a customized pipeline since they only provide video links. More detailed descriptions of the data processing pipeline and dataset statistics can be found in the supplementary material.

### 3.6. Losses

Scale invariant depth supervision: Structures reconstructed from a single view usually suffer from scale ambiguity, and the common practice is to correct the scale [ $8,42,41]$ before comparing with ground truth. We follow the same equation of $\mathcal{L}_{\text {depth }}$ as in [41] to supervise the pseudo disparity map we predict in Equation 6.

Reconstruction loss: Given the LMPI representation, we reconstruct the novel view using the method described in Section 3.1. We then penalize the reconstruction error by per-pixel $L^{1}$ loss between ground truth novel view and rendered novel view:

$$
\begin{equation*}
\mathcal{L}_{\text {reconstruction }}=\left\|\hat{\mathbf{I}}_{\text {rendered }}-\mathbf{I}_{\text {groundtruth }}\right\|_{1}, \tag{10}
\end{equation*}
$$

We denote the $\|\cdot\|_{1}$ as the $L^{1}$ norm over all pixel positions and channels.

Parameter prior: Training two-layer structure from a single view is not trivial since there is almost no supervision for the background layers. We find it necessary to constraint the behavior of the background layer using a prior loss. One observation is that when there is a sharp edge in the disparity map, the background layer should remain smooth and be properly occluded by the foreground. Thus we formulate the prior loss as:
$\mathcal{L}_{\text {prior }}=\left|\mathcal{E}\left(\hat{\mathbf{D}}_{\downarrow}\right)-\hat{\mathbf{D}}_{\text {bg } \downarrow}\right|_{1} * \mathbf{M}_{\mathbf{i n}}+\left|\hat{\mathbf{D}}_{\downarrow}-\hat{\mathbf{D}}_{\text {bg } \downarrow}\right|_{1} * \mathbf{M}_{\text {out }}$,
where $\mathbf{M}_{\mathbf{i n}}$ and $\mathbf{M}_{\text {out }}$ are two masks that softly indicates the two sides of a disparity edge:

$$
\begin{gather*}
\mathbf{M}_{\mathbf{i n}}=\left|\mathcal{E}\left(\hat{\mathbf{D}}_{\downarrow}\right)-\hat{\mathbf{D}}_{\downarrow}\right|_{1}, \\
\mathbf{M}_{\mathbf{o u t}}=\left|\mathcal{D}\left(\hat{\mathbf{D}}_{\downarrow}\right)-\hat{\mathbf{D}}_{\downarrow}\right|_{1}, \tag{12}
\end{gather*}
$$

where $\mathcal{E}$ and $\mathcal{D}$ is the morphological erosion and dilation. Note that we apply the prior loss only in at the coarse resolution.

Hybrid smoothness: Unlike most methods that apply edge-aware smoothness on the disparity map, we argue that
two layers should have different priors. The foreground should align its edges to input image while the background layer should remain smooth. We first compute an edge mask E:

$$
\begin{equation*}
\mathbf{E}=\max \left(1-\frac{\mathcal{G}(\mathbf{I})}{e_{\min } \max (\mathcal{G}(\mathbf{I}))}, 0\right) \tag{13}
\end{equation*}
$$

where $\mathcal{G}(\mathbf{I})$ is the per-pixel $L^{1}$ norm of the gradient of I. The smooth loss is then a combination of edge-aware smoothness of foreground disparity $\hat{\mathbf{D}}_{f g}$ and first order smoothness of background disparity $\hat{\mathbf{D}}_{b g}$ :

$$
\begin{equation*}
\mathcal{L}_{\text {smooth }}=\left\|\mathcal{G}\left(\hat{\mathbf{D}}_{f g}\right) * \mathbf{E}+\lambda_{g} \mathcal{G}\left(\hat{\mathbf{D}}_{b g}\right)\right\|_{1} . \tag{14}
\end{equation*}
$$

We empirically set $\lambda_{g}=0.2$.
Upsampling supervision: As is mentioned in Section 3.3, we supervise the upsampling weight $\mathbf{W}$ by:

$$
\begin{equation*}
\mathcal{L}_{\text {upsampling }}=\min \left(\mathcal{G}\left(\mathbf{F}_{\downarrow}\right), 1\right)\left\|\mathbf{W}-\mathbf{W}_{\text {raft }}\right\|_{1} \tag{15}
\end{equation*}
$$

where $\mathbf{F}_{\downarrow}$ is the coarse flow that has the same resolution as $\mathbf{P}_{\downarrow}$. We use the soft mask $\min \left(\mathcal{G}\left(\mathbf{F}_{\downarrow}\right), 1\right)$ to decay the weight where the flow has a small gradient since there is no motion boundary in those regions.

Background supervision: We encourage the predicted background $\hat{\mathbf{B}}$ to copy the context from the motion disocclusions by background supervision:

$$
\begin{equation*}
\mathcal{L}_{\text {background }}=\left\|\left|\hat{\mathbf{B}}-\mathbf{I}_{c t x}\right|_{1} * \mathbf{M}_{c t x}\right\|_{1} \tag{16}
\end{equation*}
$$

Final loss: The final loss is a weighted sum of all the losses:

$$
\begin{aligned}
\mathcal{L}= & \lambda_{d} \mathcal{L}_{\text {depth }}+\lambda_{r} \mathcal{L}_{\text {reconstruct }}+\lambda_{p} \mathcal{L}_{\text {prior }} \\
& +\lambda_{s} \mathcal{L}_{\text {smooth }}+\lambda_{u} \mathcal{L}_{\text {upsampling }}+\lambda_{b} \mathcal{L}_{\text {background }}
\end{aligned}
$$

In the experiments we empirically set the loss weight as follows: $\lambda_{r}=\lambda_{u}=\lambda_{b}=1.0, \lambda_{p}=0.2, \lambda_{s}=0.5, \lambda_{d}=0.2$ for sparse depth supervision and 1.0 for semi-dense depth supervision. Semi-dense depth supervision should have stronger effect since it provides more guidance.

## 4. Experiments

Due to space limitations, we put the experiment settings and implementation details in the supplementary material. In this section we first describe the metrics and methods that we choose for evaluation in Section 4.1 and 4.2. Then we show the quantitative and qualitative results of NVS and depth in Section 4.3 and 4.4. Finally, we perform ablations to show the need of several components of our pipeline in Section 4.5.

### 4.1. Metrics

We evaluate our approach on the StereoBlur dataset, which contains calibrated stereo videos as well as corresponding semi-dense depth maps. For each sequence, we
extract consecutive 20 frames for evaluation. For each frame, we use the left view as input and generate the right view using scale-invariant rendering [41]. We report SSIM, PSNR and LPIPS [47] for the generated images. We additionally report the average and median optical flow magnitude between the ground truth novel view and generated view, denoted as FMean [46] and FMid, respectively. We evaluate the depth quality on the same frames using Standard Metrics described in iBims-1 [13].

Since temporal consistency is an important property for video applications, we additionally formulate several metrics for evaluating the temporal consistency:

First, we use FEPE for evaluating the temporal consistency of the novel view. It measures the agreement between the ground truth flow and the rendered novel view flow:

$$
\begin{equation*}
F E P E=\left\|\mathbf{F}_{t \rightarrow t+1}-\hat{\mathbf{F}}_{t \rightarrow t+1}\right\|_{1} \tag{17}
\end{equation*}
$$

where $\hat{\mathbf{F}}_{t \rightarrow t+1}$ is the optical flow between $\hat{\mathbf{I}}_{t}$ and $\hat{\mathbf{I}}_{t+1}$.
We compute the warping error of the estimated disparity map, which measures the first order derivative of the disparity map:

$$
\begin{equation*}
D T_{l}=\left\|\left|\mathcal{W}\left(\mathbf{F}_{t \rightarrow t+1}, \hat{\mathbf{D}}_{t+1}\right)-\hat{\mathbf{D}}_{t}\right| * \mathbf{N}_{t \rightarrow t+1}\right\|_{1} \tag{18}
\end{equation*}
$$

where $\mathbf{N}_{t \rightarrow t+1}$ is the occlusion mask that mask out pixels with bidirectional flow error larger than 1 pixel.

We also compute the second order derivative of the disparity map, which is given by:

$$
\begin{align*}
D T_{2}= & \| \mid \mathcal{W}\left(\mathbf{F}_{t \rightarrow t+1}, \hat{\mathbf{D}}_{t+1}\right)+\mathcal{W}\left(\mathbf{F}_{t \rightarrow t-1}, \hat{\mathbf{D}}_{t-1}\right)  \tag{19}\\
& -\left.2 \hat{\mathbf{D}}_{t}\right|_{1} * \mathbf{N}_{t \rightarrow t+1} * \mathbf{N}_{t \rightarrow t-1} \|_{1}
\end{align*}
$$

### 4.2. Baselines

Since there are no previous works that focus on the exact same task, we carefully select several baselines for comparison.

The first baseline is the original method of [41], referred to as svMPI. For a fair comparison, we retrain the model with our dataset using the losses and settings described in the paper. The second baseline is svMPI+svreg, which is the same as svMPI, except that we train the model using an additional temporal consistency loss described in [9]. For svMPI+filter, we apply the same occlusion-aware temporal filtering as in our method, except that the filtering is operated on multiplane alpha at the original resolution. Furthermore, we try to use the Learned Blind Temporal Consistency (LBTC) [17] to smooth svMPI, denoted as svMPI+lbtc, which does not require any dense correspondence. We include the details of training the LBTC module on the supplementary material. Finally, we compare to the method that use LDI representation [35], denoted as svLDI.

To further evaluate the depth quality, we compare with methods that predict only the depth map from a single image (MiDaS [30]) or video (MC [19] and WSVD [43]).

| method | SSIM $^{\uparrow}$ | PSNR $^{\uparrow}$ | LPIPS $^{\downarrow}$ | FMean $^{\downarrow}$ FMid $^{\downarrow}$ | FEPE $^{\downarrow}$ |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| svMPI | 0.79 | 20.98 | 0.21 | 5.30 | 3.77 | 1.70 |
| svMPI | 0.79 | 21.16 | 0.34 | 5.84 | 4.35 | 1.37 |
| +svreg |  |  |  |  |  |  |
| svMPI | $\mathbf{0 . 8 0}$ | 21.13 | 0.22 | 5.13 | 3.62 | 1.08 |
| +filter |  |  |  |  |  |  |
| sVMPI | $\mathbf{0 . 8 0}$ | 21.15 | 0.20 | 5.05 | 3.43 | 1.36 |
| +lbtc | 0.76 | 19.84 | 0.16 | 5.31 | 3.68 | 2.15 |
| svLDI | 0.3 |  |  |  |  |  |
| Ours | $\mathbf{0 . 8 0}$ | $\mathbf{2 1 . 3 2}$ | $\mathbf{0 . 1 5}$ | $\mathbf{4 . 6 0}$ | $\mathbf{3 . 0 6}$ | $\mathbf{1 . 0 6}$ |

Table 1: Evaluation of novel view synthesis and consistency. ${ }^{\uparrow}$ means higher is better and ${ }^{\downarrow}$ lower better. We highlight the metrics that perform best in bold. Our method outperforms other baselines in terms of the perceptional similarity and the flow magnitude. See Section 4.3

### 4.3. Evaluation of Novel View Synthesis

The quantitative results of NVS are shown in Table 1. It can be seen that our methods does not have a big transcendence over SSIM and PSNR, which we find due to the phenomenon that SSIM and PSNR favor blurry results than misaligned images (refer to the supplementary material for an example). However, there is a clear improvement on the perceptual similarity and the flow magnitude, which we find are more consistent with human perception of visual quality. Applying filtering or LBTC post processing slightly improves the NVS quality, while adding single frame regularization significantly decreases the performance. svLDI achieves similar LPIPS as our method. However, it is not good at producing temporally consistent results.

We demonstrate some NVS results as well as MPI visualizations on Figure 3 (more examples can be found in supplementary material). We can see that svMPI tries to fill the disoccluded regions using repeated textures, causing obvious blurry artifacts, which become even more serious when we try to apply various temporal consistency methods. We visualize the MPI by slicing through the green line in Figure 3a along the depth (plane index) direction. We can see that all the single view MPI based methods exibit repeated content in the layers behind the foreground, while ours produce an obvious two-layer structure, each with a different texture. This significantly reduces the blurriness in the results. svLDI shows plausible results for the novel views, however the generated texture in the disoccluded regions are not temporally consistent. Specifically, notice the small person appearing in the background of frame $\mathbf{I}_{t+2}$. Unlike svLDI, our method successfully generates the person by aggregating textures from neighbor frames.

### 4.4. Evaluations on Depth

We show numerical results of depth estimation in Table 2. Additionally, we plot the $\log 10-\mathbf{D T}_{1}$ graph of all the methods in Figure 5. MiDaS shows the best performance


Figure 3: NVS results and MPI visualization of baselines and ours. Figures 2a to 2c: the input frame, disocclusion mask in novel views and neighbor frame. Figures 2 d to 2 i : the novel views synthesized by corresponding methods. Figures 2 j to 2 n : MPI visualization. The visualization is done by slicing the MPI along the green line in Figure 3a, and the vertical axis indicates plane index. From the results we can see that svMPI based methods generate blurry results, while svLDI fails to generate the background that is consistent with frame $\mathbf{I}_{t+2}$ (notice the background in disoccluded region).


Figure 4: First row: the predicted disparity maps. Second row: visualizations of temporal consistency. The vertical axis indicates timestamps while the horizontal axis indicates the spatial location. Our method produce disparity maps with more temporal consistency and less spatial artifacts
in terms of depth accuracy. It is trained on 10 datasets[30]. Our method achieves slightly worse accuracy but has the best trade-off between accuracy and temporal consistency, as shown on Figure 5.

We visualize several predicted depth maps in Figure 4. We find that although svMPI+filter achieves best temporal consistency, it produces unpleasant artifacts along depth boundaries due to the misalignment between depth edges and flow edges. svreg and lbtc seem improve the temporal consistency, but both produce some spatial artifacts. In contrast, our method achieves both sharp edges and temporal consistency, thus being the closest to the ground truth.

### 4.5. Ablations

We first ablate on the module that generates the parameter maps. We change several settings based on the full model described in Section 3. We first test the necessity of the flow feature by not feeding it during training and testing, denoted as noflow. For noupsu, we train the pipeline with no upsampling supervision, i.e. $\lambda_{u}=0$. Finally, as illustrated in Section 3.3, we remove the flow feature during training for static scenes. We ablate this operation by treating the static scene as a dynamic one during training. This is denoted as nodrop.

The numerical results are presented in Table 2 and one example is shown in Figure 6. We find that the flow feature

| Methods | $\mathrm{Rel}^{\downarrow}$ | $\log 10^{\downarrow}$ | $\sigma 1^{\uparrow}$ | $\sigma 2^{\uparrow}$ | $\sigma 3^{\uparrow}$ | $\mathrm{DT}_{1} \downarrow$ | $\mathrm{DT}_{2}{ }^{\downarrow}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| svMPI | 0.463 | 0.159 | 0.436 | 0.695 | 0.833 | 1.024 | 1.465 |
| svMPI+svreg | 0.467 | 0.162 | 0.415 | 0.676 | 0.831 | 0.663 | 0.866 |
| svMPI+filter | 0.456 | 0.154 | 0.445 | 0.701 | 0.841 | $\mathbf{0 . 3 1 3}$ | $\mathbf{0 . 1 8 8}$ |
| svMPI+lbtc | 0.467 | 0.157 | 0.435 | 0.700 | 0.845 | 0.453 | 0.496 |
| WSVD | 0.423 | 0.149 | 0.457 | 0.729 | 0.865 | 0.910 | 1.109 |
| MC | 0.580 | 0.175 | 0.397 | 0.673 | 0.827 | 0.726 | 1.006 |
| MiDaS | $\mathbf{0 . 2 7 7}$ | $\mathbf{0 . 1 4 2}$ | $\mathbf{0 . 5 9 4}$ | $\mathbf{0 . 8 2 6}$ | $\mathbf{0 . 9 0 9}$ | 0.819 | 1.100 |
| Ours full | $\underline{0.366}$ | $\mathbf{0 . 1 4 2}$ | $\underline{0.473}$ | 0.733 | 0.872 | 0.362 | 0.334 |
| noflow | 0.452 | 0.159 | 0.417 | 0.683 | 0.839 | $\underline{0.320}$ | $\underline{0.303}$ |
| noupsu | 0.409 | $\underline{0.146}$ | 0.460 | $\underline{0.736}$ | $\underline{0.873}$ | 0.402 | 0.388 |
| nodrop | 0.527 | 0.168 | 0.419 | 0.681 | 0.824 | 0.462 | 0.384 |

Table 2: Evaluation of depth accuracy and consistency. We highlight the metrics that perform best in bold and second-best in underline. MiDaS shows best regarding depth accuracy, while Ours demonstrates slightly worse accuracy but far more consistency.


Figure 5: Accuracy-Consistency graph. This graph indicates that our model achieves best trade-off between depth accuracy and temporal consistency


Figure 6: Ablations of depth quality. From left to right: input image, ground truth depth map, our full model (full), model without flow feature (noflow), model without upsampling supervision (noupsu) and model that do not drop out flow features (nodrop). See Section 4.5


Figure 7: Ablations of background supervision. From left to right: context image $\mathbf{I}_{c t x}$, context mask $\mathbf{M}_{c t x}, \mathbf{B}$ from our full model, $\mathbf{B}$ from our model without $\mathcal{L}_{\text {background }}$

$\begin{array}{ll}\text { (a) with } \mathcal{L}_{\text {prior }} & \text { (b) w/o } \mathcal{L}_{\text {prior }}\end{array}$

Figure 8: Ablations of prior loss $\mathcal{L}_{\text {prior }}$. We visualize the MPI along green line in the left input image. The pipeline fails to predict two-layer structure without $\mathcal{L}_{\text {prior }}$.
significantly helps generating accurate, sharp depth maps, while upsampling supervision results in a small ones. Interestingly, if we use the flow feature in the static scene as in nodrop, the predicted depth map, though contain sharp edges, attempts to infer incorrect geometry from the motion
implicitly encoded in the flow feature.
Next, we explore the necessity of background supervision. As shown in Figure 7, without $\mathcal{L}_{\text {background }}$, the background generation is trained in a purely unsupervised manner. The generated background loses high-frequency information. Thus background supervision is necessary for generating a finely detailed novel view.

Finally, we show the results by training with and without $\mathcal{L}_{\text {prior }}$ in Figure 8. The pipeline fails to predict two layer structure and exhibits similar pattern as svMPI in Figure 3j. Specifically, the pipeline without $\mathcal{L}_{\text {prior }}$ predicts parameter map with the thickness of the foreground close to 0 , i.e., the foreground are fully transparent.

## 5. Conclusions and Limitations

In this work we propose an integral framework for novel view synthesis using only monocular video as input. In the process, we propose a new representation, LMPI, that greatly reducing the redundancy of MPI, and a pipeline that effectively generates temporally consistent LMPIs. Results show that our method achieves the best visual quality and the best balance between depth accuracy and temporal consistency compared to existing methods. The framework still has some limitations which are left for future work, for examples, the inpainted textures of regions that are not visible in any of the video frames, such as the background behind a static object, do not have very high quality. This can be solved by manually generating synthetic data and using a more advanced loss, such as a GAN loss.

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[^0]:    ${ }^{1}$ For ease of notation, we omit the subscript for pixel index and time index and use a lower case letter per pixel parameter.

